

Cambridge International Examinations

Cambridge International General Certificate of Secondary Education

CANDIDATE NAME					
CENTRE NUMBER			CANDIDATE NUMBER		

165737601

CAMBRIDGE INTERNATIONAL MATHEMATICS

0607/33

1 hour 45 minutes

Paper 3 (Core) May/June 2017

Candidates answer on the Question Paper.

Additional Materials: Geometrical Instruments

Graphics Calculator

READ THESE INSTRUCTIONS FIRST

Write your Centre number, candidate number and name on all the work you hand in.

Write in dark blue or black pen.

Do not use staples, paper clips, glue or correction fluid.

You may use an HB pencil for any diagrams or graphs.

DO NOT WRITE IN ANY BARCODES.

Answer all the questions.

Unless instructed otherwise, give your answers exactly or correct to three significant figures as appropriate. Answers in degrees should be given to one decimal place.

For π , use your calculator value.

You must show all the relevant working to gain full marks and you will be given marks for correct methods, including sketches, even if your answer is incorrect.

The number of marks is given in brackets [] at the end of each question or part question.

The total number of marks for this paper is 96.



Formula List

Area, A, of triangle, base b, height h.

 $A = \frac{1}{2}bh$

Area, A, of circle, radius r.

 $A = \pi r^2$

Circumference, C, of circle, radius r.

 $C = 2\pi r$

Curved surface area, A, of cylinder of radius r, height h.

 $A = 2\pi rh$

Curved surface area, A, of cone of radius r, sloping edge l.

 $A = \pi r l$

Curved surface area, A, of sphere of radius r.

 $A=4\pi r^2$

Volume, *V*, of prism, cross-sectional area *A*, length *l*.

V = Al

Volume, V, of pyramid, base area A, height h.

 $V = \frac{1}{3}Ah$

Volume, V, of cylinder of radius r, height h.

 $V = \pi r^2 h$

Volume, V, of cone of radius r, height h.

 $V = \frac{1}{3}\pi r^2 h$

Volume, V, of sphere of radius r.

 $V = \frac{4}{3}\pi r^3$

Answer all the questions.

1

(a)		ar of chocolate c ny buys 5 of thes	osts \$0.80. se bars of chocolate.				
	(i)	How much doe	es Jenny pay for these 5 b	ars of chocolate?			
	(ii)	Find how much	h change she receives from	m \$5.	\$		[1]
					\$		[1]
	(iii)	One day there	is a special offer on these	bars of chocolate.			
			Buy 2 bars and g	get 1 extra bar free.			
		Chris wants 15	bars of chocolate.				
		Find how much	h he pays using the specia	al offer.			
					\$		[2]
	(iv)	Chris shares th	ese 15 bars between hims	self and his brother	in the i	ratio 3 : 2.	
		Find how many	y bars his brother receives	S.			
							[2]
(b)			f pizza and 1 salad for \$2. of pizza and 2 salads for				
		d the cost of 1 sl w all your work	ice of pizza and the cost oing.	of 1 salad.			

1 slice of pizza = \$

(a) (i)	Write the number three million two thousand and one in fig	ures.
(ii)	Work out $10-2\times6$.	[1]
(iii)	Find the value of $\sqrt{125.44}$.	[1]
(b) Co	emplete the list of factors of 20.	[1]
(c) (i)	•	,,, 20 [2]
(ii)	Give your answer to part (c)(i) correct to 2 decimal places.	[1]
(iii)	Give your answer to part (c)(i) correct to 2 significant figure	[1] res.
		[1]

3	(a)	Simplify.	
			5a + 9b - 2a + 2b

(L)	R = CM + 2N	[2]
(D)	R = 6M + 2N (i) Find R when $M = -3$ and $N = 5$.	
	(ii) Find M when $R = 26$ and $N = 4$.	[2]
(c)	Solve. $3x = 6x + 15$	[2]
(d)	Factorise completely. $3a^2 - 12ab$	[2]
(e)	Simplify. $4x^2y \times 2x^3y^2$	[2]

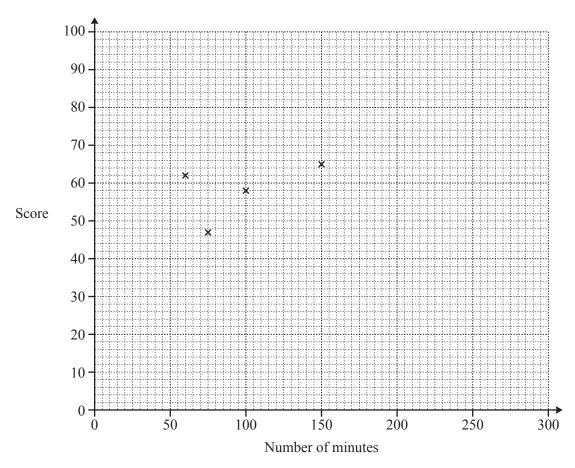
- 4 Eight friends were asked these questions.
 - How many minutes did you spend revising for the mathematics test?
 - What was your test score?

The results are shown in the table.

Number of minutes	60	75	100	150	180	220	270	300
Score	62	47	58	65	62	81	90	75

(a) Complete the scatter diagram.

The first four points have been plotted for you.



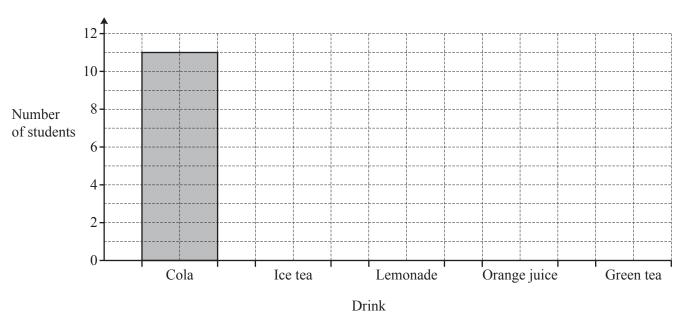
[2]

(b)	Find	
	(i)	the mean number of minutes spent revising,
	(ii)	the mean mark scored on the mathematics test.
		[1]
(c)	(i)	Plot the mean point on the scatter graph. [1]
	(ii)	Draw a line of best fit by eye on the scatter graph. [2]
	(iii)	Use your line of best fit to find an estimate of the mark scored on the mathematics test by a student who spent 200 minutes revising.
		[1]

5 30 students were asked which drink they liked best. The results are shown in the table.

Drink	Cola	Ice tea	Lemonade	Orange juice	Green tea
Number of students	11	8	5	4	2

(a) Complete the bar chart.



[2]

(b) Find the probability that one of these 30 students, chosen at random, likes

(:)	ina tan	haat
(1)	ice tea	Dest

.....[1]

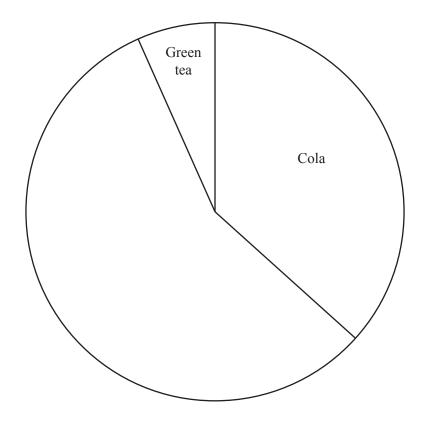
(ii) orange juice or green tea best,

.....[1]

(iii) coffee best.

.....[1]

(c) Complete the pie chart to show the results in the table.



[3]

- 6 The distance from Breda to Amsterdam is 105 km.
 - (a) A train from Breda to Amsterdam takes 35 minutes to complete the journey.Calculate the average speed of the train in km/h.

..... km/h [2]

(b) Another train from Breda to Amsterdam travels at an average speed of 84 km/h.

Find the time taken for this train to travel from Breda to Amsterdam. Give your answer in hours and minutes.

..... hours minutes [2]

Γhe r	22	10	1.6	22	1.0	16	22	25	1 5	21	1.0	42	
	23	12	16	23	18	46	32	35	15	21	16	42	
	41	18	34	26	41	47	23	48	23	33	37		
(a) (Complete	the orde	ered ste	m and l	eaf diag	gram to	show th	nis infor	mation				
						1	2						
						2							
						3							
					_	4							
					_								
							1						
					Key	/:			repr	esents			
					Key	r:			repr	esents			
(b)	Find				Key	<i>7</i> :			repr	esents			
		node,			Key	<i>7</i> :			repr	esents			
		node,			Key	γ:							
	(i) the r				Key	r:							
	(i) the r	node, nedian,			Key	7:							
	(i) the r				Key	<i>7</i> :							
((i) the r	nedian,			Key	<i>r</i> :							
((i) the r		tile ranş	ge,	Key	<i>r</i> :							
((i) the r	nedian,	tile ranş	ge,	Key	<i>7</i> :							
((i) the r	nedian,	tile ranş	ge,	Key	<i>7</i> :							
(i	(i) the r	nedian, nterquar	tile ranş	ge,	Key	<i>7</i> :							
(i	(i) the r ii) the r	nedian, nterquar	tile ranş	ge,	Key	<i>r</i> :							
(i	(i) the r ii) the r	nedian, nterquar	tile ranş	ge,	Key	r:							

					1		
8	(a)	Write $\frac{43}{200}$ as a decimal					[1]
	(b)	Write the following frac	tions in ord	der, starting	g with the	smallest.	
			$\frac{13}{50}$	$\frac{11}{40}$	$1\frac{1}{4}$	$\frac{43}{200}$	
					sma	allest	, , [1]
	(c)	$\frac{13}{50} = \frac{x}{100}$					
		Find the value of x .				r =	[1]
	(d)	Write $\frac{11}{40}$ as a percentage	re.			<i>x</i> –	[1]
	(")	40	,				
							% [1]
	(e)	Calculate, giving each a	nswer as a	fraction.			
		(i) $\frac{13}{50} + \frac{43}{200}$					
							[1]
		(ii) $\frac{11}{40} \div \frac{13}{50}$					
		40 30					
							[1]

(iii) $1\frac{1}{4} \times \frac{43}{200}$

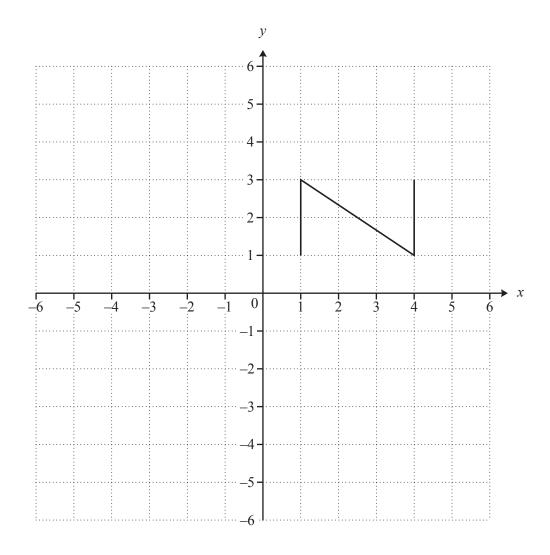
	12	
9	These are the first four terms of a sequence.	
	64 81 98 115	
	(a) Write down the next two terms in this sequence.	
	,	[2]
	(b) Find an expression for the <i>n</i> th term of this sequence.	
		[2]
		[2]
10	Alperen asks 30 students if they like fish (F) or cheese (C) . 19 like fish, 24 like cheese and 2 like neither fish nor cheese.	
	(a) Complete the Venn diagram.	
		[2]
	(b) Write down the number of students who like fish or cheese but not both.	
		[1]
	(c) Shade the region $F \cap C'$.	[1]

.....[1]

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(d) One student is chosen at random.

Find the probability that this student likes cheese only.

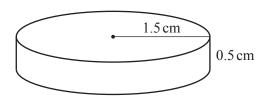


On the grid, draw the image of

(a) shape \mathbb{N} after a reflection in the y-axis, [1]

(c) shape $\[\]$ after a translation of $\begin{pmatrix} -6 \\ -5 \end{pmatrix}$. [2]

NOT TO SCALE



Tamay has 15 identical silver coins. Each coin is a cylinder of radius 1.5 cm and height 0.5 cm.

			_			
(a)	Find the	total	surface	area	of one	coin

cm- [3		cm^2	[3]
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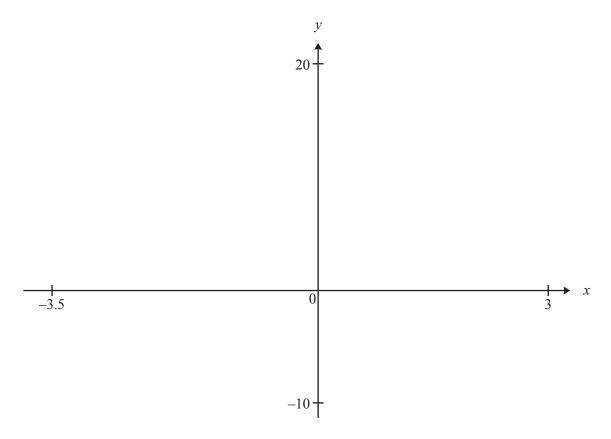
(b) (i) Find the total volume of all 15 coins.

cm ³ [2	cm ³
--------------------	-----------------

(ii) The 15 coins are melted down to make one large cylinder of height 3 cm.

Calculate the radius of this cylinder. Give your answer correct to 1 decimal place.

..... cm [3]



$$f(x) = x^3 + x^2 - 6x$$

- (a) On the diagram, sketch the graph of y = f(x) for $-3.5 \le x \le 3$. [2]
- **(b)** Write down the co-ordinates of the point where the graph crosses the y-axis.

(c) Write down the co-ordinates of the points where the graph crosses the x-axis.

(d) Write down the co-ordinates of the local minimum.

(e) On the same diagram, sketch and label clearly the graph of

(i)
$$y = f(x) + 2$$
, [1]

(ii)
$$y = f(x-1)$$
. [1]

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