

1 Water is stored in a reservoir at an average vertical height of 350m above the turbines of a hydroelectric power station.

During a 7.0 hour period, $1.8 \times 10^6 \text{ m}^3$ of water flows down from the reservoir to the turbines.

(a) The density of water is 1000 kg/m^3 .

For this 7.0 hour period, calculate

(i) the mass of water that flows from the reservoir to the turbines,

mass = [2]

(ii) the gravitational potential energy transformed as the water flows to the turbines,

energy = [2]

(iii) the maximum possible average output power.

power = [2]

(b) A hydroelectric power station generates electricity from a renewable energy source.

(i) Explain what is meant, in this context, by *renewable*.

.....
..... [1]

(ii) State two other renewable energy sources.

1.
2. [2]

[Total: 9]

MARKING SCHEME:

- (a) (i) $(m =) \rho V$ OR $1000 \times 1.8 \times 10^6$ C1
 $1.8 \times 10^9 \text{ kg}$ A1
- (ii) (g.p.e. =) mgh OR $1.8 \times 10^9 \times 10 \times 350$ (e.c.f. from (a)(i)) C1
 $6.3 \times 10^{12} \text{ J}$ (e.c.f. from (a)(i)) A1
- (iii) $(P =) E/t$ OR $6.3 \times 10^{12}/7$ OR $6.3 \times 10^{12}/(7 \times 60)$ OR $6.3 \times 10^{12}/(7 \times 3600)$ C1
(e.c.f. from (a)(i)(ii))
 $2.5 \times 10^8 \text{ W}$ (e.c.f. from (a)(i)(ii)) A1
- (b) (i) continuously regenerated / not used up / everlasting supply
IGNORE used again / recycled / can be renewed B1
- (ii) any **two** of: biomass/geothermal/solar/ tidal/wave/wind energy/wood
(NOT nuclear/light) B2 [9]

- 2** (a) On a day with no wind, a fountain in Switzerland propels 30 000 kg of water per minute to a height of 140 m.

Calculate the power used in raising the water.

power = [4]

- (b) The efficiency of the pump which operates the fountain is 70%.

Calculate the power supplied to the pump.

power = [3]

- (c) On another day, a horizontal wind is blowing. The water does not rise vertically.

Explain why the water still rises to a height of 140 m.

.....

..... [1]

[Total: 8]

MARKING SCHEME:

- (a) Fd OR weight $\times d$ OR mgh OR $30\,000 \times 10 \times 140$ OR 4.2×10^7 seen anywhere C1
- $(P =) E/t$ OR W/t OR mgh/t symbols or words C1
- $4.2 \times 10^7 / 60$ C1
- $7.0 \times 10^5 \text{ W}$ / 700 kW / 0.7 MW A1
- (b) efficiency = output / input OR $(P_{\text{in}} =) 100 \times P_{\text{out}} / \text{efficiency}$ C1
- $(P_{\text{in}} =) 100 \times 7 \times 10^5 / 70$ C1
- $1.0 \times 10^6 \text{ W}$ OR $1\,000\,000 \text{ W}$ OR 1.0 MW A1
- (c) (horizontal) wind has no effect on P.E gained / vertical force on water
OR same upward / vertical force acts on water
OR force from wind is horizontal B1

[Total: 8]

- 3** A farmer uses an electric pump to raise water from a river in order to fill the irrigation channels that keep the soil in his fields moist.

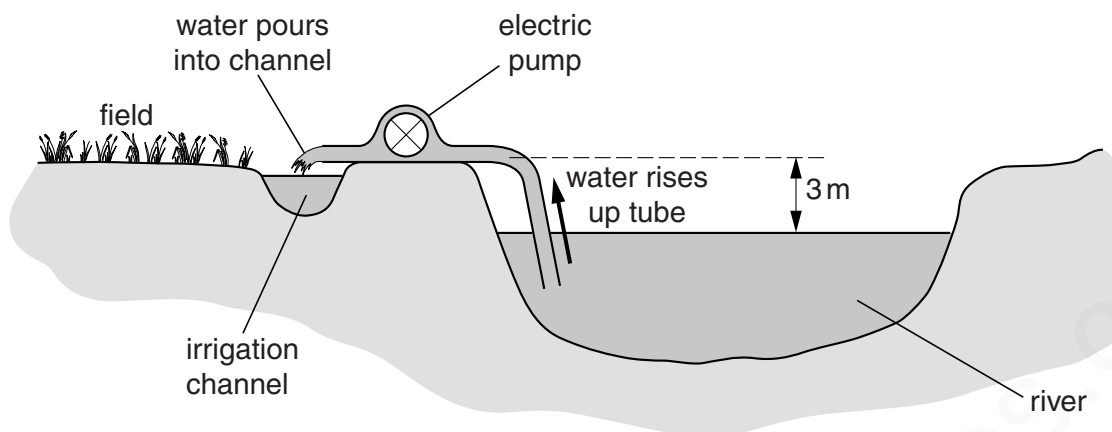


Fig. 5.1

Every minute, the pump raises 12 kg of water through a vertical height of 3 m.

- (a)** Calculate the increase in the gravitational potential energy of 12 kg of water when it is raised 3 m.

increase in gravitational potential energy = [3]

- (b)** Calculate the useful power output of the pump as it raises the water.

power = [3]

[Total: 6]

MARKING SCHEME:

(a)	(P.E.) = mgh		C1
	$12 \times 10 \times 3$	Accept $g = 9.8$ or 9.81	C1
	360 J	$g = 9.8$ gives 352.8 J (minimum 2 s.f.)	A1
		$g = 9.81$ gives 353.16 J (minimum 2 s.f.)	

(b)	(P =) E/t		C1
	360/60		C1
	6 W	352.8 J gives 5.88 W 353.16 J gives 5.886 W (minimum 2 s.f.)	A1

[6]

- 4 Fig. 5.1 shows a model cable-car system. It is driven by an electric motor coupled to a gear system.

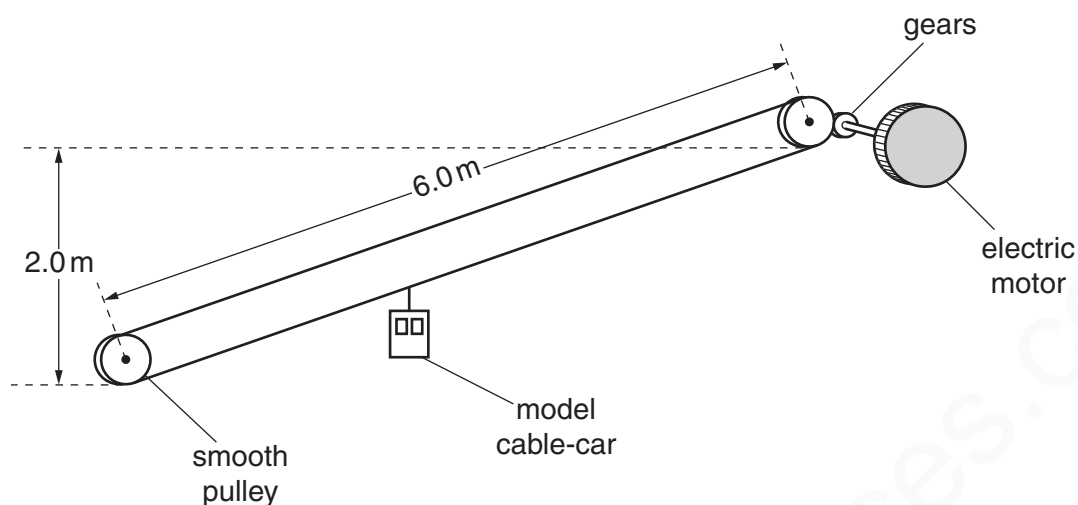


Fig. 5.1

The model cable-car has a mass of 5.0 kg and is lifted from the bottom pulley to the top pulley in 40 s. It stops automatically at the top.

(a) Calculate

- (i) the average speed of the cable-car,

average speed = [2]

- (ii) the gravitational potential energy gained by the cable-car,

gravitational potential energy gained = [2]

(iii) the useful output power of the driving mechanism.

power = [2]

(b) How would the electrical power input to the motor compare with your answer to **(a)(iii)**?

..... [1]

[Total: 7]

MARKING SCHEME:

- (a) (i) (speed =) distance/time in any form, words, letters, numbers C1
0.15 m/s or 15 cm/s A1
(if answer only, 1 mark for either if no units)
- (ii) (PE =) mgh OR mgh OR Wh symbols, words or numbers C1
100 J OR 98.1 J OR 98 J A1
- (iii) his (ii)/40 OR his (ii)/4 C1
2.5 W OR 2.45 W e.c.f. from (ii) A1
- (b) (input) greater/output less NOT a numerical factor B1

[Total: 7]

- 5** A boy drops a ball of mass 0.50 kg. The ball falls a distance of 1.1 m, as shown in Fig. 6.1. Ignore air resistance throughout this question.

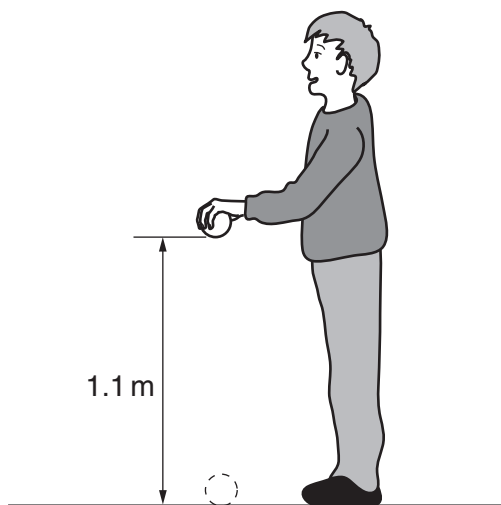


Fig. 6.1

- (a)** Calculate the decrease in gravitational potential energy of the ball as it falls through the 1.1 m.

decrease in potential energy = [2]

- (b)** The ball bounces and only rises to a height of 0.80 m.

- (i)** Calculate the energy lost during the bounce.

energy lost = [1]

- (ii)** Suggest one reason why energy is lost during the bounce.

.....
..... [1]

- (c) On another occasion, the boy **throws** the ball down from a height of 1.1 m, giving it an initial kinetic energy of 9.0 J.

Calculate the speed at which the ball hits the ground.

speed = [3]

[Total: 7]

MARKING SCHEME:

- (a) mgh OR $0.5 \times 10 \times 1.1$ C1
5.5 J A1
- (b) (i) 1.5 (J) B1
- (ii) energy used to deform ball/ground
OR strain energy stored in (deformed) ball/ground
OR heat generated in deformed ball/ground B1
- (c) (initial energy =) 9 + answer to (a), correctly evaluated C1
use of $\frac{1}{2}mv^2$ C1
7.6 m/s B1

[Total: 7]

- 6** (a) Energy from the Sun evaporates water from the sea. Some of this water eventually drives a hydroelectric power station. Give an account of the processes and energy changes involved.

.....

.....

.....

.....

.....

.....

.....

.....

.....

.....[4]

- (b) In a hydroelectric power station, 200 000 kg of water per second fall through a vertical distance of 120 m. The water passes through turbines to generate electricity, and leaves the turbines with a speed of 14 m/s.

- (i) Calculate the gravitational potential energy lost by the water in 1 second. Use $g = 10 \text{ m/s}^2$.

potential energy lost =[2]

- (ii) Calculate the kinetic energy of the water leaving the turbines in 1 second.

kinetic energy =[2]

[Total: 8]

MARKING SCHEME:

(a) two processes from:

vapour rising

condensation

rain falling

water falling from lake / through pipes

water turns turbine / generator

electricity generated.

max B2

energy changes:

PE to KE matched to a process

B1

KE to electricity energy for turbine / power station

B1

(b) (i) (PE =) mgh OR $2 \times 10^5 \times 10 \times 120$ allow $g = 9.8$ or 9.81
 $2.4 \times 10^8 \text{ J}$

C1

A1

(ii) (KE of water =) $\frac{1}{2}mv^2$ OR $\frac{1}{2} \times 2 \times 10^5 \times 14^2$
 $1.96 \times 10^7 \text{ J}$ OR $2.0 \times 10^7 \text{ J}$

C1

A1 [8]